

**CLASS - X**

- 1) Number of integer pairs  $(x, y)$  satisfying  $x^2 + xy + 1 = 0$  is \_\_\_\_\_  
 1)4                                      2)0                                      3)2                                      4) $\infty$
- 2) Number of stright lines passing through all the points  $(3,4)$   $(1,1)$   $(4,7)$   $(-3,-7)$   $(0,-1)$  is \_\_\_\_\_  
 1)5                                      2)4                                      3)0                                      4)1
- 3) Area of the circle inscribed in a square of perimeter 12cm is \_\_\_\_\_ approxmiately  
 1)  $\frac{28}{9}$  sq.u                                      2)  $7\frac{1}{14}$  sq.u                                      3)  $4\frac{3}{7}$  sq.u                                      4)  $\frac{22}{7}$  sq.u
- 4)  $a + b\sqrt{2} + c\sqrt{3} = 0$  such that  $a, b, c \in$  set of integers then  $2a + b + 3c + 5 =$  \_\_\_\_\_  
 1)prime number                                      2)Multiple of 4                                      3)Multiple of 11                                      4)Divisible by 3
- 5)  $\sin \theta + \sin^2 \theta = 1$  Then  $\cos^6 \theta + \cos^4 \theta - \sin \theta =$  \_\_\_\_\_  
 1) $\cos 90^\circ$                                       2) $\cos 45^\circ$                                       3) $\sin 60^\circ$                                       4) $\sin 30^\circ$
- 6)  $\pi$  day was celebrated on \_\_\_\_\_  
 1) March, 7th                                      2) March, 14th                                      3) March 21st                                      4) September 15th
- 7)  $x^4 + x^2 + 1 = (x^2 - x + 1)(ax^2 + bx + c)$  then  $2a - 3b + 4c =$  \_\_\_\_\_  
 1) 3                                      2) -6                                      3) -2                                      4) 0
- 8)  $x^{\log_x y} + y^{\log_y x} = 4$  and  $x \log_x y = 2$  then  $2x + 3y = 10$  represents geometrically a \_\_\_\_\_  
 1) stright line                                      2)circle with radius 2                                      3) square of area 4                                      4)none of these
- 9) An equilateral triangle is inscribed in a circle of circumference  $6\pi$  units.Its height is \_\_\_\_\_ units  
 1)  $\frac{9}{2}$                                       2)  $2\sqrt{3}$                                       3)  $3\sqrt{3}$                                       4) 6
- 10) How many of the following statements are true  
 $S_1 : \sec^2 \theta \cos ec^2 \theta = \sec^2 \theta + \cos ec^2 \theta$   
 $S_2 : \sin^4 \theta - \cos^4 \theta = 1 + 2 \cos^2 \theta$   
 $S_3 : \sec \theta - \tan \theta = x \Rightarrow \tan \theta + \sec \theta = -x^{-1}$  for  $x > 0$   
 $S_4 : (\tan \theta + \cot \theta)^2 - (\cot \theta - \tan \theta)^2 = 2(\tan^2 \theta - \cot^2 \theta)$   
 1) 1                                      2) 2                                      3) 3                                      4) 4

- 11)  $(\operatorname{cosec} 50^\circ + \tan 40^\circ)(\cot 50^\circ - \sec 40^\circ) = \underline{\hspace{2cm}}$   
 1) 1                                      2) -1                                      3)  $\infty$                                       4)  $-\infty$
- 12)  $1^2 - 2^2 + 3^2 - 4^2 + \dots + 2017^2$  is \_\_\_\_\_  
 1) divisible by 3                      2) divisible by 47                      3) divisible by 1009                      4) divisible by 2016
- 13) The author of Sidhantha Siromani \_\_\_\_\_  
 1) Aryabhata                      2) Bhaskaracharya                      3) Varahamihara                      4) Apastambha
- 14) Example  $4! = 4 \times 3 \times 2 \times 1$ . and  $3! = 3 \times 2 \times 1$ . If  $\frac{(n+2)!}{n!} = 90$  then  $(n-3)! + (n-6)! = \underline{\hspace{2cm}}$   
 1) 121                                      2) 122                                      3) 123                                      4) 124
- 15) The length of the minute hand of a clock is 14cm.. Find the area swept by the minute hand in 10 minutes (approximately)  
 1)  $112\text{cm}^2$                                       2)  $102\text{cm}^2$                                       3)  $117\text{cm}^2$                                       4)  $92\text{cm}^2$
- 16)  $3x^2 + 4y^2 = 15$  and  $4x^2 + 3y^2 = 6$  then  $x^4 + y^4 + 2x^2y^2 - 8 = \underline{\hspace{2cm}}$   
 1) 4                                      2) 6                                      3) 5                                      4) 1
- 17) The modern study of set theory was initiated by  
 1) Sakuntala Devi                      2) George Cantor                      3) Rene Descartes                      4) Euclid
- 18)  $N = 1 + 11 + 111 + 1111 + \dots$  10 terms . Then digital sum of N is \_\_\_\_\_  
 1) 27                                      2) 37                                      3) 28                                      4) 30
- 19) "The diagonal of a rectangle produces by itself the same area as produced by its both sides (i.e length & breadth)"- This theorem is referred as \_\_\_\_\_  
 1) Basic proportionality theorem                      2) Converse of basic proportionality theorem  
 3) Boudhayan theorem                      4) Alternative segment theorem
- 20) If  $a, b > 0$  and  $a + b = 1$  then the least value of  $a^4 + b^4$  is \_\_\_\_\_  
 1) 1                                      2)  $\frac{1}{2}$                                       3)  $\frac{1}{4}$                                       4)  $\frac{1}{8}$
- 21) Both the roots of a quadratic equation  $x^2 - 12x + \lambda = 0$  are prime numbers. Sum of all such  $\lambda$  is \_\_\_\_\_  
 1) 25                                      2) 35                                      3) 21                                      4) 42

- 22) The perimeter of a right angled isosceles triangle is 34.14 units approximately. Then its area is nearly \_\_\_\_\_ sq.u  
 1) 40                                      2) 34                                      3) 64                                      4) 50
- 23)  $\left(1 + \frac{1}{5}\right)\left(1 + \frac{1}{6}\right)\left(1 + \frac{1}{7}\right)\dots\dots\dots\left(1 + \frac{1}{2014}\right) = \underline{\hspace{2cm}}$   
 1) 147                                      2) 403                                      3) 2013                                      4) 2017
- 24) In a  $\triangle ABC$  the line drawn parallel to BC meet AB and AC at D & E respectively. If DE=4cm, BC= 8cm and area of  $\triangle ADE = 25$  sq.cm. Then the area of  $\triangle ABC$  is \_\_\_ sq.cm  
 1) 50                                      2) 100                                      3) 125                                      4) 75
- 25) Number of real roots of  $6(2^x + 2^{-x}) = 13$  is \_\_\_\_\_  
 1) 1                                      2) 0                                      3) 2                                      4) infinity
- 26) Number of circles having the radius 2017cm and touching both the co-ordinate axes will be \_\_\_\_\_  
 1) 2017                                      2) 4                                      3) 1                                      d) 0
- 27) If the AM and GM of the roots of the Quadratic equation are  $\frac{14}{3}$  and  $\frac{2}{3}$  respectively. Then the equation is \_\_\_\_\_  
 1)  $9x^2 - 84x + 4 = 0$                                       2)  $3x^2 - 14x + 7 = 0$   
 3)  $17x^2 - 19x + 13 = 0$                                       4)  $4x^2 - 12x + 3 = 0$
- 28) Sum of terms in 100<sup>th</sup> group of  $\{1\}, \{2,3\}, \{4,5,6\}, \{7,8,9,10\}, \dots\dots\dots$   
 1)  $300(10^3 + 1)$                                       2)  $100(10^4 - 1)$                                       3)  $50(10^4 + 1)$                                       4)  $200(80^2 + 1)$
- 29) Who is considered as father of statistics  
 1) Euclid                                      2) RA Fisher                                      3) Ramanujan                                      4) Rene Descartes
- 30)  $\sin^2 x + \cos^2 y + \sin^2 z = 3$  Then  $\tan^2 \frac{x}{2} + \sec^2 y + \operatorname{cosec}^2 z = \underline{\hspace{2cm}}$   
 1) 4                                      2)  $\frac{1}{3}$                                       3) 2                                      4) 3

- 31) Sum of 24 A.M's inserted between 100 and 200 will be \_\_\_\_\_  
 1) 3100                      2) 3900                      3) 5200                      4) 6300
- 32)  $x = 7 - 4\sqrt{3}$  ;  $xy = 1$  Then  $\frac{x^2 - y^2}{14\sqrt{3}} + \frac{x^2 + y^2}{97} =$  \_\_\_\_\_  
 1) 1                              2)  $14\sqrt{3}$                       3) -6                              4)  $-\frac{15}{2}$
- 33)  $x^2 + x + 6 = 0$  and  $ax^2 + 3bx + c = 0$  have both roots common if \_\_\_\_\_  
 1)  $4a + 6b - c = 0$               2)  $a + b + c + 6 = 0$               3)  $2a + b - c = 0$               4)  $2c - 6b + c = 0$
- 34) The cost of a car is Rs.4,00,000 at present. If the value depreciate 15% in the first year, 13.5% in the second year, 12% in the third year and so on. What will be its value at the end of 10 years, when all percentages will be applied to original cost.  
 1) Rs.60,000                      2) Rs.64,000                      3) Rs.68,000                      4) Rs.70,000
- 35)  $\log_2 \log_3 (x^2 - 4x + 12) = 1$  Then  $x^2 + 4x + 2 =$  \_\_\_\_\_  
 1) 10                              2) 7                              3) -1                              4) -2
- 36) Number of positive integer pairs (x,y) such that  $4x + 3y = 24$  is \_\_\_\_\_  
 1) 6                              2) 4                              3) 2                              4) One
- 37) Condition that (a, 0) (0, b) and  $(x_1, y_1)$  are collinear is \_\_\_\_\_  
 1)  $bx_1 + ay_1 = ab$                       2)  $ax_1 + by_1 = ab$   
 3)  $x_1 + y_1 = a + b$                       4)  $x_1 - y_1 = a - b$
- 38) A(0, -1), B(2, 1), C(0, 3) are the vertices of a  $\triangle ABC$  then the Median through B has a length of \_\_\_\_\_ units  
 1) 2                              2) 3                              3) 6                              4) 9
- 39) Who first said that something divided by zero cannot be defined.  
 1) Apastambha                      2) Varahamihira                      3) Archemedes                      4) Bhaskaracharya
- 40)  $x^2 + y^2 = 1$  Then  $(3x - 4x^3)^2 + (4y^3 - 3y)^2 =$  \_\_\_\_\_  
 1) 14                              2) 12                              3) 0                              4) 1

41) Perpendiculars are drawn from an interior point P of a rectangle to its sides AB, BC, CD and DA. These perpendicular lengths are respectively denoted by  $P_1 = 5$ ,  $P_2 = 8$ ,  $P_3 = 4$

and  $P_4$  then  $P_4$  is \_\_\_\_\_

- 1) 1                                  b) 2                                  c) 8                                  d) 9

42) In a parallelogram ABCD, 'P' is the point of intersection of the angular bisectors of

$\angle A$  and  $\angle B$  then  $\angle ADB =$  \_\_\_\_\_

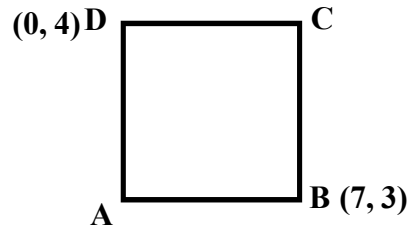
- 1)  $< 90^\circ$                           2)  $> 90^\circ$                           3)  $= 90^\circ$                           4) can't say

43) Number of integers between 1 and 1000 which are divisible by either 5 or 7 is \_\_\_\_

- 1) 340                                  2) 432                                  3) 287                                  4) 313

44) ABCD is a square in the adjacent figure then its area is \_\_\_\_\_

- 1) 16                                  2) 49  
3) 9                                      4) 25



45) Average of  $a_i$  items is  $a_i$  :  $i = 1, 2, \dots, n$ . Then the average of all these terms is \_\_\_\_\_

- 1)  $\frac{\sum a_i^2}{\sum a_i}$                           2)  $\frac{\sum a_i}{\sum a_i^2}$                           3)  $\frac{\sum a_i}{n}$                                   4)  $\frac{n}{\sum a_i}$

46) Number of circles touching all the lines  $x + y = 1$ ,  $x - y = 1$  and  $2x + y = 3$  is \_\_\_\_\_

- 1) 3                                  2) 4                                  3) 1                                  4) 0

47)  $\cos 1^\circ + \cos 2^\circ + \cos 3^\circ + \dots + \cos 178^\circ + \cos 179^\circ =$  \_\_\_\_\_

- 1) 0                                  2) 90                                  3) 180                                  4) none of these

48) If  $a = b^2 = c^3$  then  $\log_c ab =$  \_\_\_\_

- 1)  $\frac{2}{9}$                                   2)  $\frac{9}{2}$                                   3)  $\frac{1}{9}$                                   4)  $\frac{1}{2}$



- 57)  $\Delta ABC \sim \Delta PQR$  . M is the midpoint of BC and N is the midpoint of QR. If  $\Delta ABC = 100\text{cm}^2$  and  $\Delta PQR = 144\text{cm}^2$  and  $AM = 4\text{cm}$  then  $PN =$  \_\_\_\_\_
- 1) 12cm                      2) 4cm                      3) 4.8cm                      4) 5.6cm
- 58) If  $A^c = B$  then  $A \Delta B =$
- 1)  $(A \cup B) - (A \cap B)$     2)  $A \cup B$                       3)  $\mu$                       4) All the three
- 59) If a  $\Delta ABC$  is inscribed in a circle whose center is 'O' then  $\angle A + \angle OBC =$
- 1)  $< 90^\circ$                       2)  $> 90^\circ$                       3)  $= 90^\circ$                       4)  $120^\circ$
- 60)  $x = a^3b^2c^{11}$  ,  $y = b^8c^9a^7$  ,  $z = a^6c^4b^2$  then 4<sup>th</sup> root of  $xyz = a^p b^q c^r$  satisfies the condition
- 1)  $pq - r = 1$                       2)  $p - \frac{2r}{q} = 0$                       3)  $p + q - r = 0$                       4)  $r - q = 4 - p$