

**CLASS - IX**

- 1) Which is the missing term in the sequence 1,3,6,10,15,\_\_\_\_\_
- 1)18                      2)21                      3)20                      4)32
- 2) Average of first 100 natural numbers is \_\_\_\_\_
- 1)50.5                      2)100.5                      3)28.5                      4)58.5
- 3) Degree of  $(1+x)(1+x^2)(1+x^4)(1+x^8)$  is \_\_\_\_\_
- 1)8                      2)15                      3)9                      4)64
- 4) Number of quadratic factors for  $(x^4 + x^2 + 1)^2$  is \_\_\_\_\_
- 1)4                      2)8                      3)2                      4)0
- 5)  $(2 + \sqrt{3})^2(2 - \sqrt{3})^2(1 + \sqrt{2})^2(1 - \sqrt{2})^2 =$  \_\_\_\_\_
- 1)18                      2)64                      3)1                      4)0
- 6)  $3x^2 + 4y^2 = 10, 4x^2 + 3y^2 = 11$  then  $x^2 + y^2 =$  \_\_\_\_\_
- 1)121                      2)21                      3)3                      4)7
- 7)  $x + x^{-1} = 2.5$  then  $x^3 + x^{-3} =$  \_\_\_\_\_
- 1)8.125                      2)6.125                      3)1                      4)7.25
- 8) Distance between (3, -4) and (6, 0) is \_\_\_\_\_ units
- 1)2                      2)7                      3)5                      4)8
- 9)  $\frac{a+b}{c+d} = \frac{a-b}{c-d} \Rightarrow ad - bc + 1 =$  \_\_\_\_\_
- 1) 0                      2)1                      3)2                      4)-2
- 10)  $x^4 - x^2 + 1 = 0 \Rightarrow (x^2 + x^{-2})^8 =$  \_\_\_\_\_
- 1)1                      2)0                      3)16                      4)256
- 11)  $2(x-1)(x-7) = ax^2 + bx + c \Rightarrow 4a + 2b + c =$  \_\_\_\_\_
- 1)40                      2)-10                      3)0                      4)-12

- 12)  $\sqrt{x} + \sqrt{y} = \sqrt{4 + 2\sqrt{3}} \Rightarrow x + y =$  \_\_\_\_\_ number.  
 1)even                      2)odd                      3)odd prime                      4)even prime
- 13) Area of an equilateral triangle whose height is  $\sqrt{12}$  is \_\_\_\_\_ Sq.units  
 1) $3\sqrt{3}$                       2) $2\sqrt{3}$                       3)3                      4) $4\sqrt{3}$
- 14) In a right-angled triangle, the legs are 3, 4. Then its perimeter is \_\_\_\_\_  
 1)12                      2)10                      3)14                      4)7
- 15) Area of a semi-circle is  $18\pi$  Sq.u. Its circumference is \_\_\_\_\_  
 1) $\pi + 2$                       2) $6\pi + 12$                       3) $9\pi + 3$                       4) $3\pi$
- 16) Two concentric circles have radii 6, 8 units. Then Area of ring shape formed is \_\_\_\_\_ Sq.units nearly  
 1)88                      2)64                      3)72                      4)100
- 17)  $\frac{1}{4 + 2\sqrt{3}} + \frac{1}{4 - 2\sqrt{3}} = x$  then  $x^9 - 2^9 =$  \_\_\_\_\_  
 1)1                      2)0                      3) $7\sqrt{3}$                       4) $\sqrt{3}$
- 18) A square has diagonal  $\sqrt{8a^2}$  then its perimeter exceeds side by \_\_\_\_\_  
 1) $6a\sqrt{2}$                       2)2a                      3)6a                      4) $a\sqrt{2}$
- 19) Number of positive integer divisors of 200 is \_\_\_\_\_  
 1)12                      2)10                      3)6                      4)18
- 20)  $1 - 2 + 3 - 4 + 5 - 6 + \dots - 2020 =$  \_\_\_\_\_  
 1) Positive odd integer                      2) Positive even integer  
 3) Negative even integer                      4) Negative odd integer
- 21) Number of positive integer solutions of  $x^{x+1} = 8$  is \_\_\_\_\_  
 1)3                      2)2                      3)4                      4)None of these

- 22)  $x\sqrt{3} + y\sqrt{2} = \sqrt{18} + \sqrt{12}$  then  $x^2 + y^2 - xy = \underline{\hspace{2cm}}$ , where  $x, y \in N$
- 1) 7    2) 10    3) 4    4) 0
- 23)  $\frac{1+x^3}{1+x} + \frac{1+y^3}{1+y} + \frac{1-x^3}{1-x} + \frac{1-y^3}{1-y} =$
- 1)  $x^2 + y^2 - 1$     2)  $2(x^2 + y^2 + 2)$
- 3)  $2x^2 + 2y^2 - 3$     4)  $x^2 + y^2 - 2$
- 24)  $\left[ (2^{0.5} + 3^{0.5})^2 - 5 \right]^2 = \underline{\hspace{2cm}}$
- 1) 24    2) 18.5    3)  $\sqrt{6}$     4)  $2\sqrt{6}$
- 25)  $[1 + x + x^2 + \dots + x^{n-1}][x-1] + 1 = \underline{\hspace{2cm}}$
- 1)  $x^n$     2)  $x^n - 2$     3)  $\frac{x^n}{x-1}$     4)  $x^{n-1} - 1$
- 26) if  $x^2 + y^2 = 1$  then  $(3x - 4x^3)^2 + (4y^3 - 3y)^2 = \underline{\hspace{2cm}}$
- 1) 0    2) 1    3) 12    4) -1
- 27) Reflection of (3, 4) in y-axis is
- 1) (-3, 4)    2) (4, 3)    3) (-4, -3)    4) (0, 4)
- 28) Number of straight lines that can be made pass through (1, 1), (2, 8) is
- 1) 1    2) 2    3) 4    4) Infinite
- 29) Number of circles that can pass through (0, 0), (4, 0) is
- 1) One    2) Two    3) Zero    4) infinite
- 30) P is an interior point of rectangle ABCD whose length is 8 and breadth is 6.
- Then  $\frac{PA^2 + PC^2 - PD^2}{PB^2} = \underline{\hspace{2cm}}$
- 1) 2    2) 1    3) 3    4) 8

- 31) The point equidistant from (3, -4) (4, 3) (4, -3) (-4, 3) is \_\_\_\_\_  
 1)(1, 1)                      2)(0, 1)                      3)(0, 0)                      4)(-1, -1)
- 32)  $1^2 - 2^2 + 3^2 - 4^2 + 5^2 - 6^2 + \dots + 99^2 - 100^2 =$  \_\_\_\_\_  
 1)4090                      2)-5050                      3)-8000                      4)5010
- 33)  $\sqrt{x\sqrt{x\sqrt{x\sqrt{x\sqrt{\dots\infty}}}}} = y$  Then  $y^2 - xy =$  \_\_\_\_\_  
 1)0                      2) $x^2$                       3) $\sqrt{x}$                       4) $x+1$
- 34) "Every even number greater than 4 can be written as sum of two primes" is a Conjecture stated by \_\_\_\_  
 1) Euclid                      2)Gold Bach                      3)Pythagorous                      4)Aryabhata
- 35) Number of irrational numbers between 2021 and 2022 is \_\_\_\_\_  
 1) zero                      2)one                      3)two                      4)infinite
- 36)  $6x^\circ + 20^\circ$ ,  $2x^\circ - 40^\circ$ ,  $3x^\circ - 20^\circ$  form angles of a triangle then  $3x^\circ - 50^\circ =$  \_\_\_\_\_ degrees  
 1) $10^\circ$                       2) $20^\circ$                       3) $12^\circ$                       4) $18^\circ$
- 37) Angle between diagonals of a rhombus is  $\theta^\circ$ . Then  $2\theta^\circ - 150^\circ =$  \_\_\_\_\_ degrees  
 1) $30^\circ$                       2) $20^\circ$                       3) $40^\circ$                       4) $10^\circ$
- 38) Mean proportional of  $x^2y^3$  and  $x^{-3}y^{-2}$  is \_\_\_\_\_  
 1) $x^{-1/2}y^{-1/2}$                       2) $x^{-1/2}y^{1/2}$                       3) $xy$                       4) 1
- 39) Volume of a cuboid is V. if length, breadth, and height are each increased by 40% then volume is \_\_\_\_\_  
 1) $\frac{343}{100}v$                       2) $\frac{343}{125}v$                       3) $\frac{4}{5}v$                       4) $\frac{110}{43}v$
- 40) Ends of a diameter of a circle are (3, 0) (0, 4). Its circumference is \_\_\_\_\_  
 1) $5\pi$                       2) $2\pi$                       3) $\pi$                       4) $5\pi / 2$

- 41)  $X\%$  of  $(Y + 1)$  equals  $2X\%$  of  $3Y$  then  $Y =$  \_\_\_\_\_  
1)1                      B)0.1                      C)0.2                      D)0.8
- 42) Median of first 25 natural numbers is \_\_\_\_\_  
1)12                      2)12.5                      3)13.5                      4)13
- 43) Maximum rectangle inscribed in a circle will be \_\_\_\_\_  
1) Parallelogram                      2) Rhombus  
3) Square                      4) Trapezium
- 44)  $X + Y = 8$ ;  $X, Y > 0$  then maximum value of  $XY =$  \_\_\_\_\_  
1)32                      2)64                      3)16                      4)18
- 45) ABCD is a Quadrilateral. EFGH is a Quadrilateral formed by mid points of sides of ABCD. Then which is correct Statement  
1) EFGH is Square                      2) EFGH is parallelogram  
3) EFGH is Scalan Quadrilateral                      4) EFGH is Rectangle
- 46) Which of the following doesn't have inscribed circle?  
1) Rectangle                      2) square  
3) Rhombus                      4) None of these
- 47)  $(x-1)(x-2)(x-3) = ax^3 + bx^2 + cx + d$  then  $abcd =$  \_\_\_\_\_  
1)396                      2)268                      3)-108                      4)-132
- 48) The remainder when  $x^3 - 8x + 1$  is divided by  $x - 1$  is \_\_\_\_\_  
1)-3                      2)-6                      3)11                      4)0
- 49) Zero of a polynomial  $6(x^2 - 8x + 15)$  is \_\_\_\_\_  
1)3                      2)4                      3)15                      4)0
- 50) Which of the following statement is false  
1) 7<sup>th</sup> root of 128 is 4<sup>th</sup> root of 16  
2) 4<sup>th</sup> root of 81 is 5<sup>th</sup> root of 243  
3) 10<sup>th</sup> root of 1024 is 6<sup>th</sup> root of 64  
4) 9<sup>th</sup> root of 243 is 12<sup>th</sup> root of 81

51) Let  $X = 1 + p + p^2 + \dots + p^{2020}$  and  $p + 1 = 0$  Then  $\left(\frac{x^3 - p^2}{x^2 - p}\right)^2 = \underline{\hspace{2cm}}$

1)1

2)4

3)0

4)8

52) Let  $a * b = a + b - ab$ . If  $a * e = 2a$  then  $e = \underline{\hspace{2cm}}$

1) $a$ 2) $\frac{a}{1-a}$ 3) $\frac{a+1}{a}$ 4) $\frac{a-1}{a}$ 

53)  $p, q, r$  are three natural numbers, exactly two of them are odd. Then which is correct statement ?

1)  $p + q + r + pq + qr + rp$  is odd2)  $pq + qr + rp$  is even3)  $p^3qr$  is odd4)  $p^2 + qr$  is even

54)  $x + 3y = 100$  where  $x$  and  $y$  are positive integers. The number of ordered pairs satisfying above equation is  $\underline{\hspace{2cm}}$

1)34

2)97

3)33

4)87

55) ABCD is a square of side 2. The area of maximum circle that can be inscribed in it is  $\underline{\hspace{2cm}}$  Sq.u

1) $\pi$ 2) $2\pi$ 3) $\pi/2$ 4) $\pi/4$ 

56) An eight digit number is a multiple of 73 and 137 if the second digit from left is 7, the 6<sup>th</sup> digit from left is  $\underline{\hspace{2cm}}$

1)7

2)9

3)5

4)3

57) An equilateral triangle has length of median  $3\sqrt{3}$ . then sum of areas of semi-circles on each side of triangle as diameter is  $\underline{\hspace{2cm}}$

1) $\frac{3\pi}{4}$ 2) $\frac{87\pi}{7}$ 3) $\frac{27\pi}{3}$ 4) $\frac{27\pi}{2}$

58) Golden triangle is a triangle with \_\_\_\_\_

1) angles  $60^{\circ}$ ,  $30^{\circ}$ ,  $90^{\circ}$

2) angles  $45^{\circ}$ ,  $45^{\circ}$ ,  $90^{\circ}$

3) angles  $72^{\circ}$ ,  $72^{\circ}$ ,  $36^{\circ}$

4) sides  $1, 2, \sqrt{3}$

59) The Mathematician who first calculated the value of  $\pi$  to first 4 decimal places.

1) Gauss

2) Aryabhatta

3) Bhaskara

4) Renesdecarte

60)  $\left(1\frac{1}{2}\right)\left(1\frac{1}{3}\right)\left(1\frac{1}{4}\right)\left(1\frac{1}{5}\right)\dots\dots\dots 400 \text{ terms} = \dots\dots$

1) 207

2) 300

3) 301

4) 201